



## CHAPTER

# 4

# Money and Inflation

## MACROECONOMICS

SIXTH EDITION

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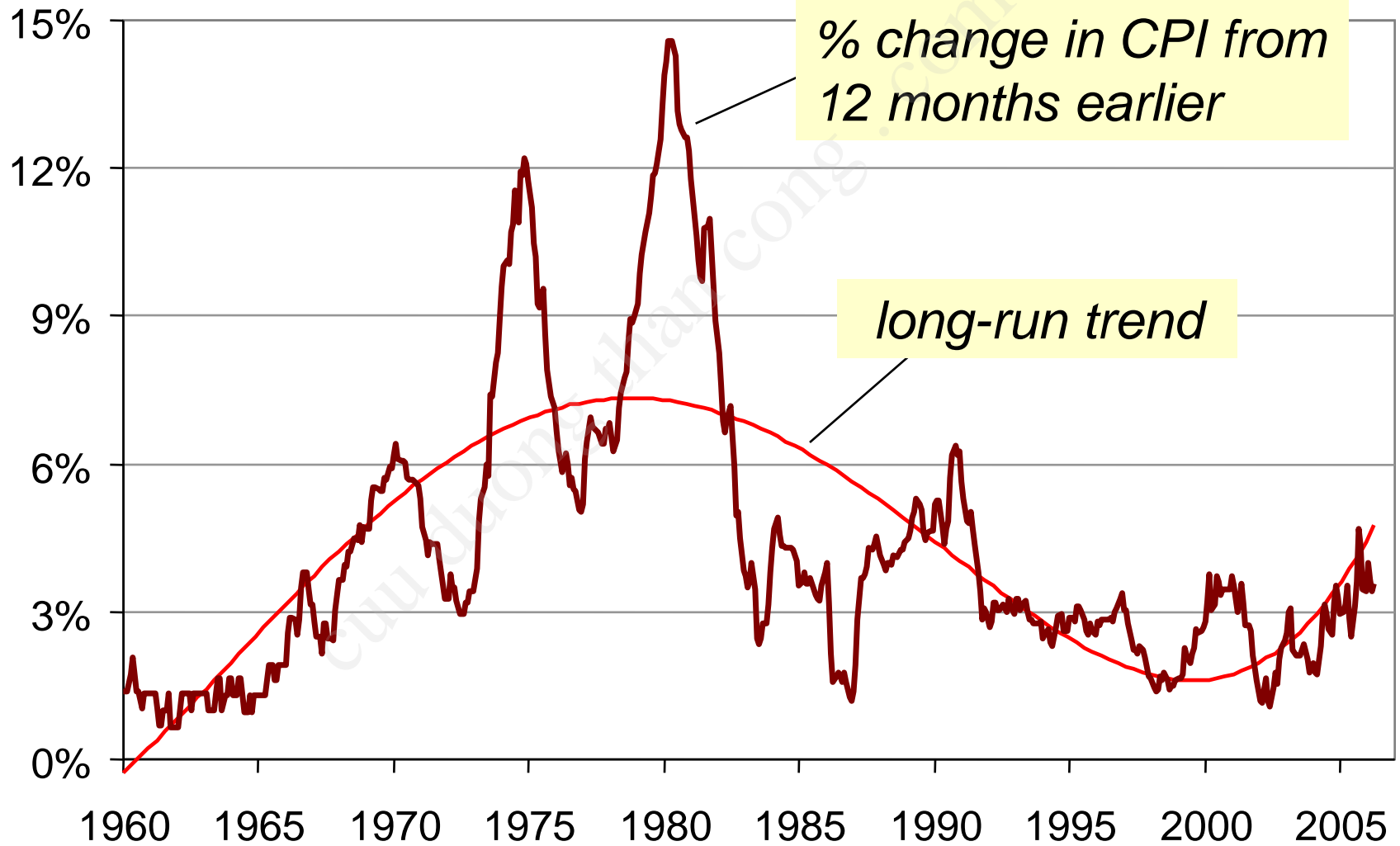


# In this chapter, you will learn...

- The classical theory of inflation
  - Its causes
  - Its effects
  - Its macroeconomic costs
- It applies in the long run



# U.S. inflation and its trend, 1960-2006





# The connection between money and prices

- Inflation rate = the percentage increase in the average level of prices.
- Price = amount of money required to buy a good.
- Because prices are measured in units of money, we need to consider the nature of money, the supply of money, and how it is controlled.



# Money: Definition

**Money** is the stock of assets that can be readily used to make transactions.





# The money supply and monetary policy definitions

- The **money supply** is the quantity of money available in the economy.
- **Monetary policy** is the control over the money supply.





# The central bank

- Monetary policy is conducted by a country's **central bank**.
- In the U.S., the central bank is called the **Federal Reserve** ("the Fed").



*The Federal Reserve Building  
Washington, DC*



# Money supply measures, April 2006

symbol	assets included	amount (\$ billions)
<b>C</b>	Currency	<b>\$739</b>
<b>M1</b>	<b>C + demand deposits, travelers' checks, other checkable deposits</b>	<b>\$1391</b>
<b>M2</b>	<b>M1 + small time deposits, savings deposits, money market mutual funds, money market deposit accounts</b>	<b>\$6799</b>





# The Quantity Theory of Money

- Its a simple theory linking the inflation rate to the growth rate of the money supply.
- It begins with the concept of **velocity**...



# Velocity

- basic concept: the rate at which money circulates
- definition: the number of times the average dollar bill changes hands in a given time period
- example: In 2007,
  - \$500 billion in transactions
  - money supply = \$100 billion
  - The average dollar is used in five transactions in 2007
  - So, velocity = 5



# The quantity equation

- The **quantity equation**

$$M \times V = P \times Y$$

follows from the preceding definition of velocity.

- It is an *identity*:  
it holds by definition of the variables.



# Money demand and the quantity equation

- $M/P$  = **real money balances**, the purchasing power of the money supply.

- A simple money demand function:

$$(M/P)^d = kY$$

where

$k$  = how much money people wish to hold for each dollar of income.

( $k$  is exogenous)



# Money demand and the quantity equation

- money demand:  $(M/P)^d = kY$
- quantity equation:  $M \times V = P \times Y$
- The connection between them:  $k = 1/V$
- When people hold lots of money relative to their incomes ( $k$  is high), money changes hands infrequently ( $V$  is low).



# Back to the quantity theory of money

- starts with quantity equation
- assumes  $V$  is constant & exogenous:  $v = \bar{v}$
- With this assumption, the quantity equation can be written as

$$M \times \bar{V} = P \times Y$$



# The quantity theory of money, *cont.*

$$M \times \bar{V} = P \times Y$$

How the price level is determined:

- With  $V$  constant, the money supply determines nominal GDP ( $P \times Y$ ).
- Real GDP is determined by the economy's supplies of  $K$  and  $L$  and the production function (Chap 3).
- The price level is  
 $P = (\text{nominal GDP})/(\text{real GDP})$ .





# The quantity theory of money, *cont.*

- *Recall from Chapter 2:*  
The growth rate of a product equals the sum of the growth rates.
- The quantity equation in growth rates:

$$\frac{\Delta \mathbf{M}}{\mathbf{M}} + \frac{\Delta \mathbf{V}}{\mathbf{V}} = \frac{\Delta \mathbf{P}}{\mathbf{P}} + \frac{\Delta \mathbf{Y}}{\mathbf{Y}}$$

The quantity theory of money assumes

$\mathbf{V}$  is constant, so  $\frac{\Delta \mathbf{V}}{\mathbf{V}} = 0$ .



# The quantity theory of money, *cont.*

$\pi$  (Greek letter “pi”)  
denotes the inflation rate:

$$\pi = \frac{\Delta P}{P}$$

The result from the  
preceding slide was:

$$\frac{\Delta M}{M} = \frac{\Delta P}{P} + \frac{\Delta Y}{Y}$$

Solve this result  
for  $\pi$  to get

$$\pi = \frac{\Delta M}{M} - \frac{\Delta Y}{Y}$$



# The quantity theory of money, *cont.*

$$\pi = \frac{\Delta M}{M} - \frac{\Delta Y}{Y}$$

- Normal economic growth requires a certain amount of money supply growth to facilitate the growth in transactions.
- Money growth in excess of this amount leads to inflation.



# The quantity theory of money, *cont.*

$$\pi = \frac{\Delta M}{M} - \frac{\Delta Y}{Y}$$

$\Delta Y/Y$  depends on growth in the factors of production and on technological progress (all of which we take as given, for now).

***Hence, the Quantity Theory predicts a one-for-one relation between changes in the money growth rate and changes in the inflation rate.***



# Confronting the quantity theory with data

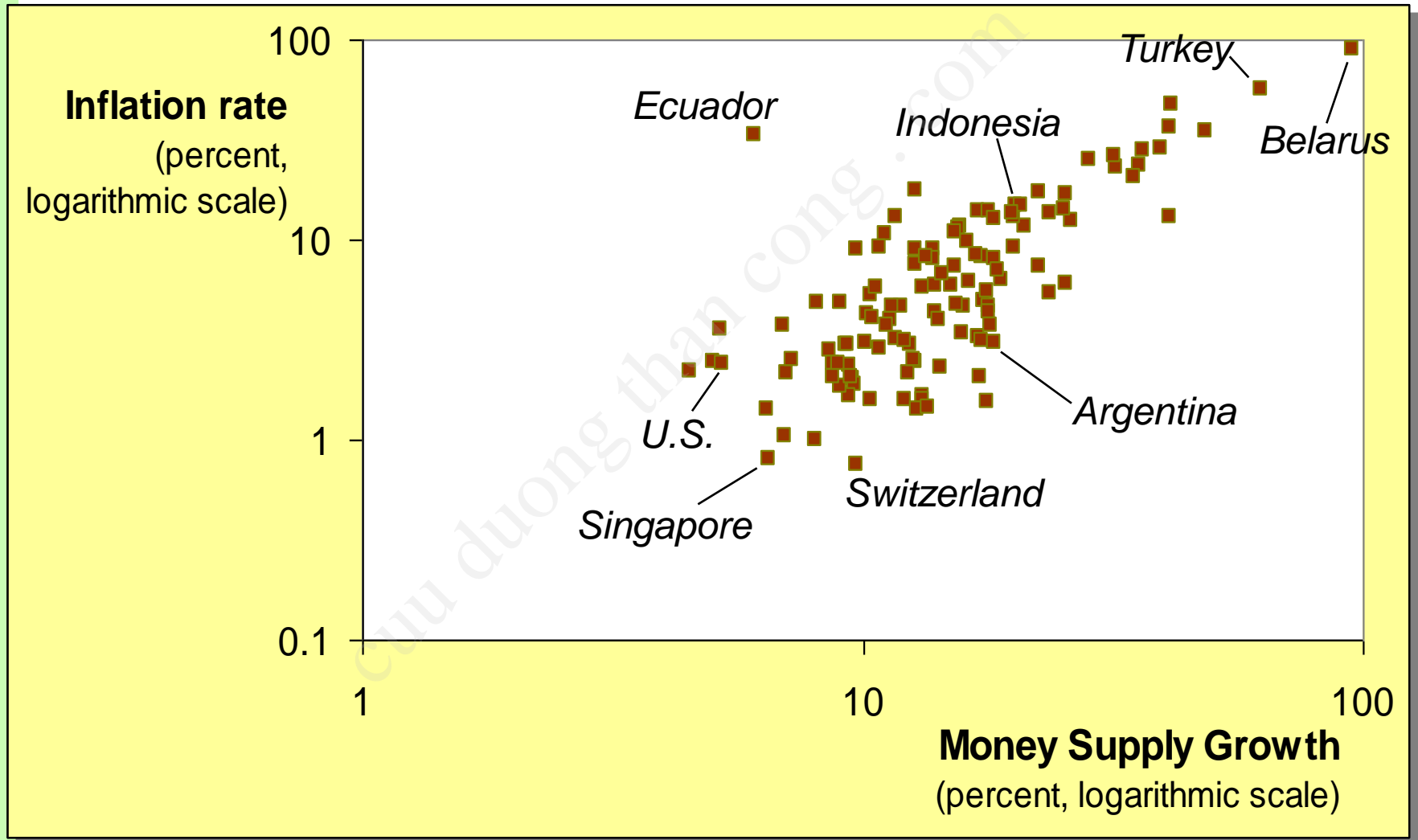
The quantity theory of money implies

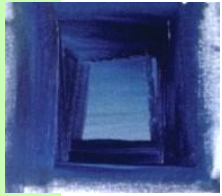
1. countries with higher money growth rates should have higher inflation rates.
2. the long-run trend behavior of a country's inflation should be similar to the long-run trend in the country's money growth rate.

*Are the data consistent with these implications?*

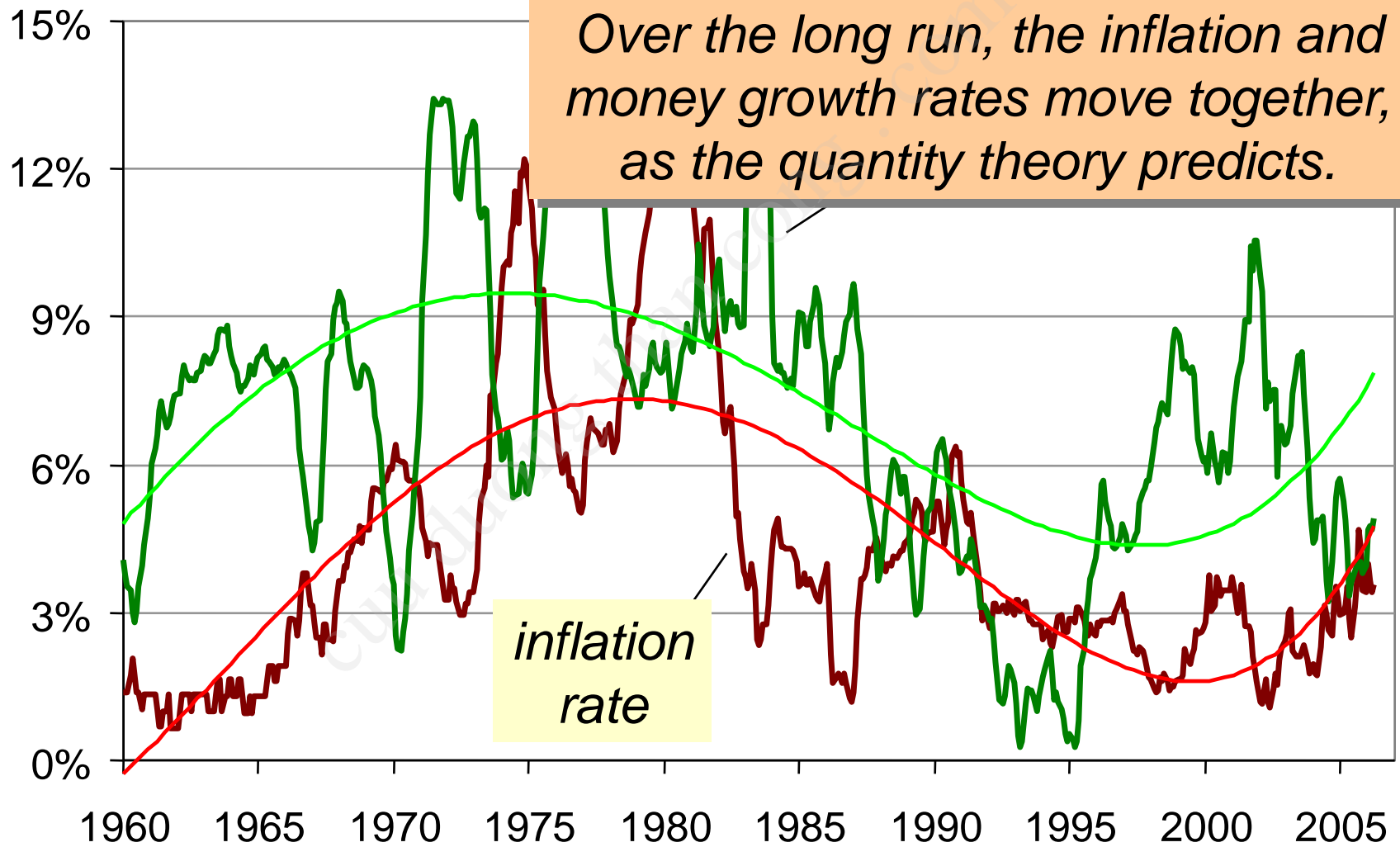


# International data on inflation and money growth





# U.S. inflation and money growth, 1960-2006







# Inflation and interest rates

- Nominal interest rate,  $i$   
not adjusted for inflation
- Real interest rate,  $r$   
adjusted for inflation:

$$r = i - \pi$$



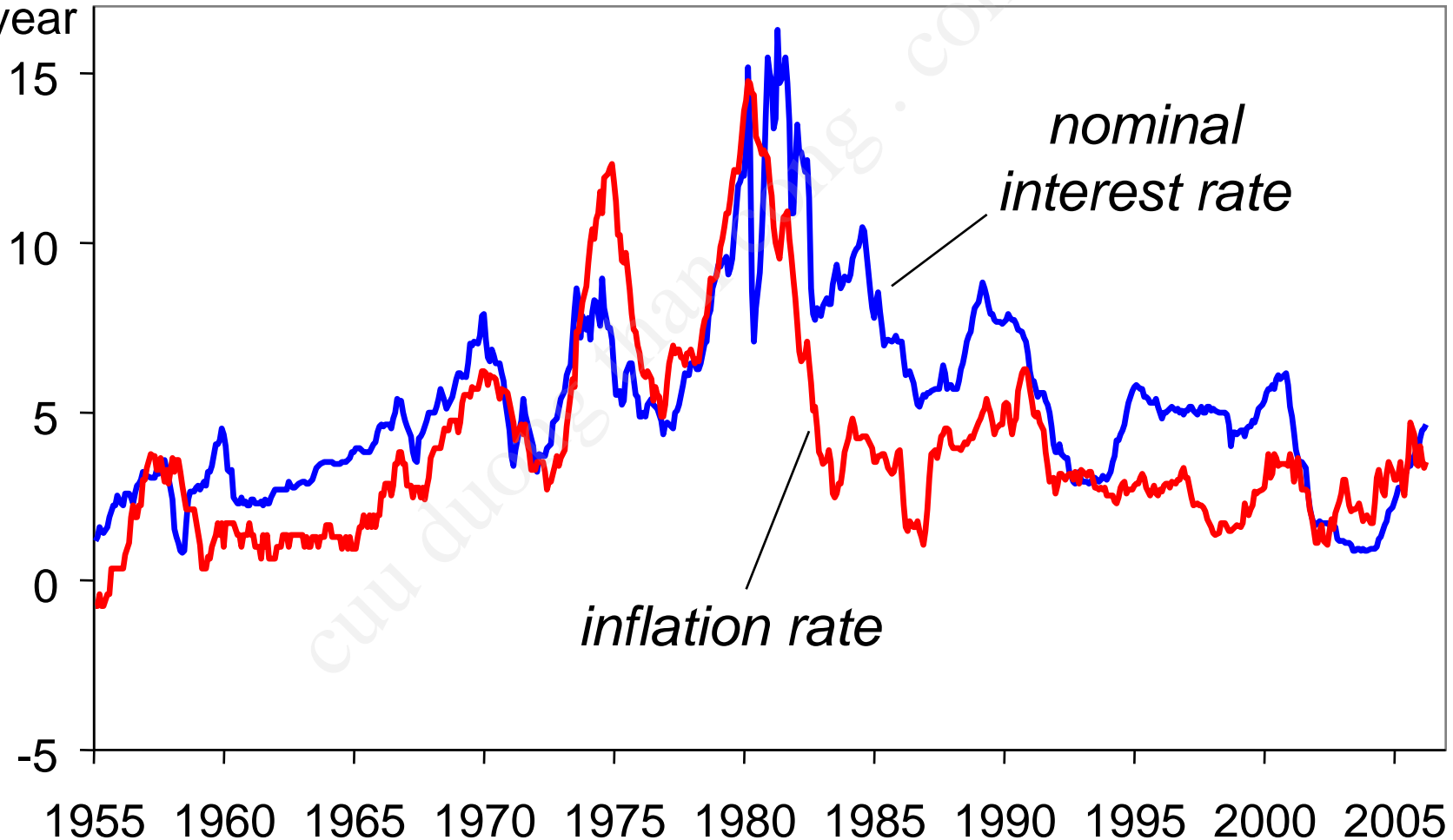
# The Fisher effect

- The Fisher equation:  $i = r + \pi$
- Chap 3:  $S = I$  determines  $r$ .
- Hence, an increase in  $\pi$  causes an equal increase in  $i$ .
- This one-for-one relationship is called the **Fisher effect**.



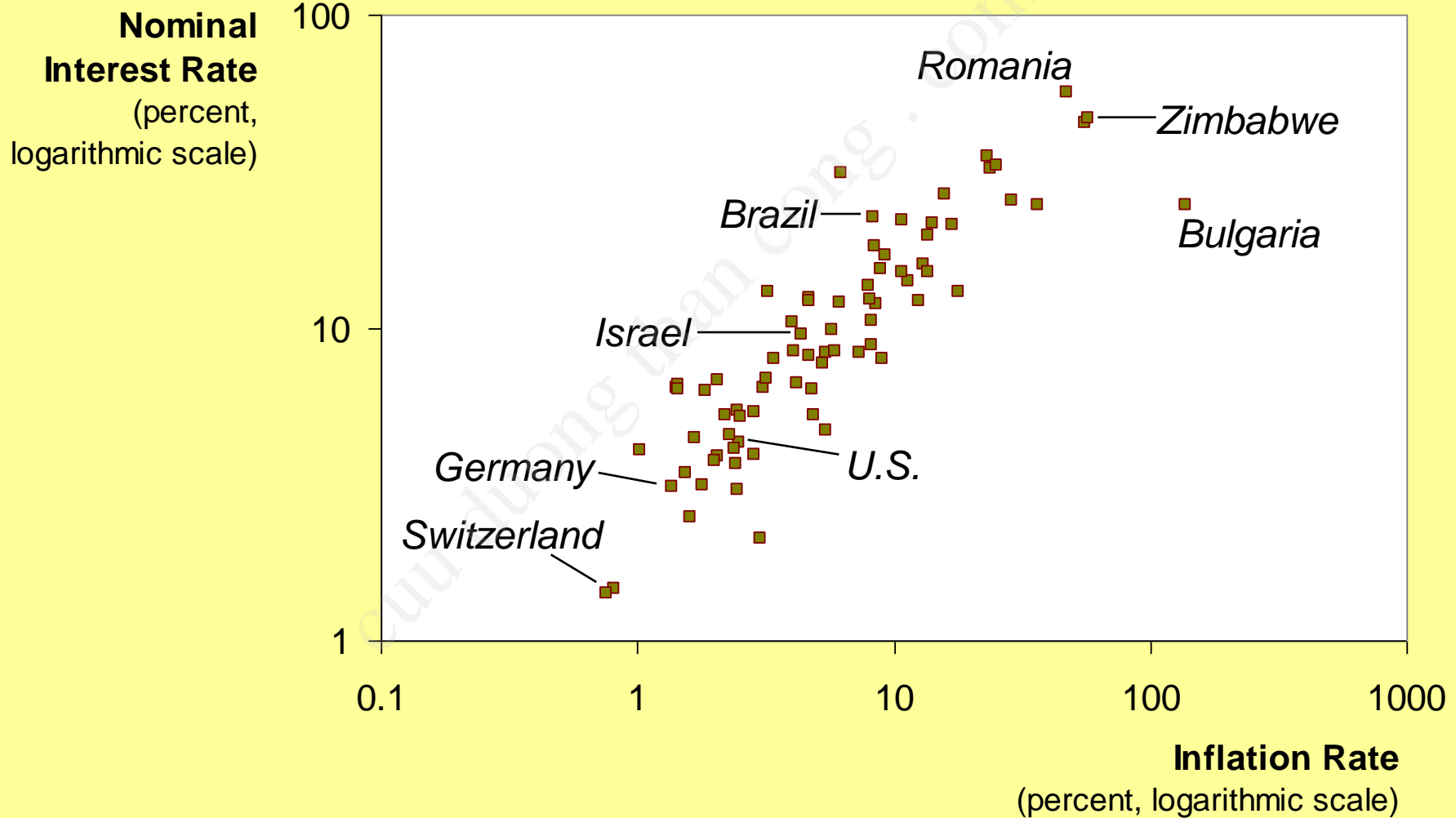
# Inflation and nominal interest rates in the U.S., 1955-2006

percent  
per year





# Inflation and nominal interest rates across countries





## ***Exercise:***

Suppose  $V$  is constant,  $M$  is growing 5% per year,  $Y$  is growing 2% per year, and  $r = 4$ .

- a. Solve for  $i$ .
- b. If the Fed increases the money growth rate by 2 percentage points per year, find  $\Delta i$ .
- c. Suppose the growth rate of  $Y$  falls to 1% per year.
  - What will happen to  $\pi$ ?
  - What must the Fed do if it wishes to keep  $\pi$  constant?



## ***Answers:***

$V$  is constant,  $M$  grows 5% per year,  
 $Y$  grows 2% per year,  $r = 4$ .

a. First, find  $\pi = 5 - 2 = 3$ .

Then, find  $i = r + \pi = 4 + 3 = 7$ .

b.  $\Delta i = 2$ , same as the increase in the money growth rate.

c. If the Fed does nothing,  $\Delta \pi = 1$ .

To prevent inflation from rising,  
Fed must reduce the money growth rate by  
1 percentage point per year.



# Two real interest rates

- $\pi$  = actual inflation rate  
(not known until after it has occurred)
- $\pi^e$  = expected inflation rate
- $i - \pi^e = \text{ex ante}$  real interest rate:  
the real interest rate people expect  
at the time they buy a bond or take out a loan
- $i - \pi = \text{ex post}$  real interest rate:  
the real interest rate actually realized





# Money demand and the nominal interest rate

- In the quantity theory of money, the demand for real money balances depends only on real income  $Y$ .
- Another determinant of money demand: the nominal interest rate,  $i$ .
  - the opportunity cost of holding money (instead of bonds or other interest-earning assets).
- Hence,  $\uparrow i \Rightarrow \downarrow$  in money demand.



# Money Demand

$$\frac{M^d}{P} = L(i) \times Y$$

- $(M/P)^d$  = real money demand, depends
  - negatively on  $i$ . (Because  $i$  is the opportunity cost of holding money)
  - positively on  $Y$ 
    - higher  $Y \Rightarrow$  more spending
    - $\Rightarrow$  so, need more money



# Money Equilibrium

- Money Demand (Md) = Money Supply (M) in equilibrium. Therefore,

$$\frac{M}{P} = L(i) \times Y$$



# Money Equilibrium

- Recall that  $i = r + \pi^e$ .
- In the long run, expectations are fulfilled on average:  
 $\pi^e = \pi$ .
- Therefore,  $i = r + \pi$ .

$$\frac{M}{P} = L(i) \times Y$$



$$\frac{M}{P} = L(r + \pi) \times Y$$



# Money Equilibrium

$$\frac{M}{P} = L(r + \pi) \times Y$$

- From page 25 of the textbook ...
- Growth rate of  $M$  – Growth rate of  $P$  = Growth rate of  $L$  + Growth rate of  $Y$ .
- Recall that  $r$  was determined in Ch. 3. Also, assume that inflation,  $\pi$ , is constant in the long run. Then  $i = r + \pi$  is constant. Therefore,  $L$  is constant. Therefore,
- $\pi = \text{Growth rate of } M - \text{Growth rate of } Y, \text{ a constant.}$



# Price Level

- Therefore, the long run price level ( $P$ ) is:

$$P = \frac{M}{L(r + \text{Growth rate of } M - \text{Growth rate of } Y) \times Y}$$

- Note that if  $M$  increases—without any change in the *growth rate of  $M$* —then  $P$  increases by the same proportion.
  - Keep in mind that  $Y$  and its growth rate are determined by non-monetary factors discussed in chapter 3.



# Price Level

$$P = \frac{M}{L(r + \text{Growth rate of } M - \text{Growth rate of } Y) \times Y}$$

- If the growth rate of  $M$  increases, then so does  $P$ .
- If either  $Y$  or its growth rate increases, then  $P$  decreases.
- If the real interest rate,  $r$ , increases, then so does  $P$ .





# Inflation

- Recall that  
 $\pi = \text{Growth rate of } M - \text{Growth rate of } Y$   
in the long run.
- Therefore, if either the growth rate of the money supply ( $M$ ) *increases* by, say, 2 percentage points, or if the growth rate of total output ( $Y$ ) *decreases* by the same amount, then the rate of inflation ( $\pi$ ) will *increase* by the same 2 percentage points.



# Monetary Neutrality

- Note that unless there is a change in the real parameters of chapter 3, the real endogenous variables of that chapter will not change.
- In particular, changes in  $M$  or the growth rate of  $M$  cannot affect the real variables that were determined in chapter 3, for obvious reasons.



# Monetary Neutrality

- However, although  $M/P$  is a real variable, it is affected by changes in the growth rate of  $M$ .
- Also, changes in real variables such as  $Y$  and the growth rate of  $Y$  do have an effect on  $P$ , although it is a nominal variable.



# The money demand function

$$(\mathbf{M} / \mathbf{P})^d = \mathbf{L}(\mathbf{i}, \mathbf{Y})$$

$(\mathbf{M}/\mathbf{P})^d$  = real money demand, depends

- negatively on  $\mathbf{i}$

$\mathbf{i}$  is the opp. cost of holding money

- positively on  $\mathbf{Y}$

higher  $\mathbf{Y} \Rightarrow$  more spending

$\Rightarrow$  so, need more money

(“ $\mathbf{L}$ ” is used for the money demand function because money is the most liquid asset.)



# The money demand function

$$\begin{aligned} (M/P)^d &= L(i, Y) \\ &= L(r + \pi^e, Y) \end{aligned}$$

When people are deciding whether to hold money or bonds, they don't know what inflation will turn out to be.

Hence, the nominal interest rate relevant for money demand is  $r + \pi^e$ .



# Equilibrium

$$\frac{M}{P} = L(r + \pi^e, Y)$$

The supply of real money balances

Real money demand



## ***What determines what***

$$\frac{M}{P} = L(r + \pi^e, Y)$$

variable      how determined (*in the long run*)

***M***      exogenous (the Fed)

***r***      adjusts to make ***S = I***

***Y***       $\bar{Y} = F(\bar{K}, \bar{L})$

***P***      adjusts to make  $\frac{M}{P} = L(i, Y)$



## How $P$ responds to $\Delta M$

$$\frac{M}{P} = L(r + \pi^e, Y)$$

- For given values of  $r$ ,  $Y$ , and  $\pi^e$ , a change in  $M$  causes  $P$  to change by the same percentage – just like in the quantity theory of money.





## ***What about expected inflation?***

- Over the long run, people don't consistently over- or under-forecast inflation, so  $\pi^e = \pi$  on average.
- In the short run,  $\pi^e$  may change when people get new information.
- EX: Fed announces it will increase ***M*** next year. People will expect next year's ***P*** to be higher, so  $\pi^e$  rises.
- This affects ***P*** now, even though ***M*** hasn't changed yet....



## How $P$ responds to $\Delta\pi^e$

$$\frac{M}{P} = L(r + \pi^e, Y)$$

- For given values of  $r$ ,  $Y$ , and  $M$ ,

$\uparrow \pi^e \Rightarrow \uparrow i$  (the Fisher effect)

$\Rightarrow \downarrow (M/P)^d$

$\Rightarrow \uparrow P$  to make  $(M/P)$  fall  
to re-establish eq'm



## Discussion question

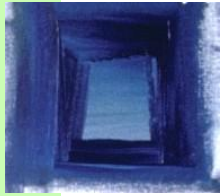
### ***Why is inflation bad?***

- What costs does inflation impose on society? List all the ones you can think of.
- Focus on the long run.
- Think like an economist.

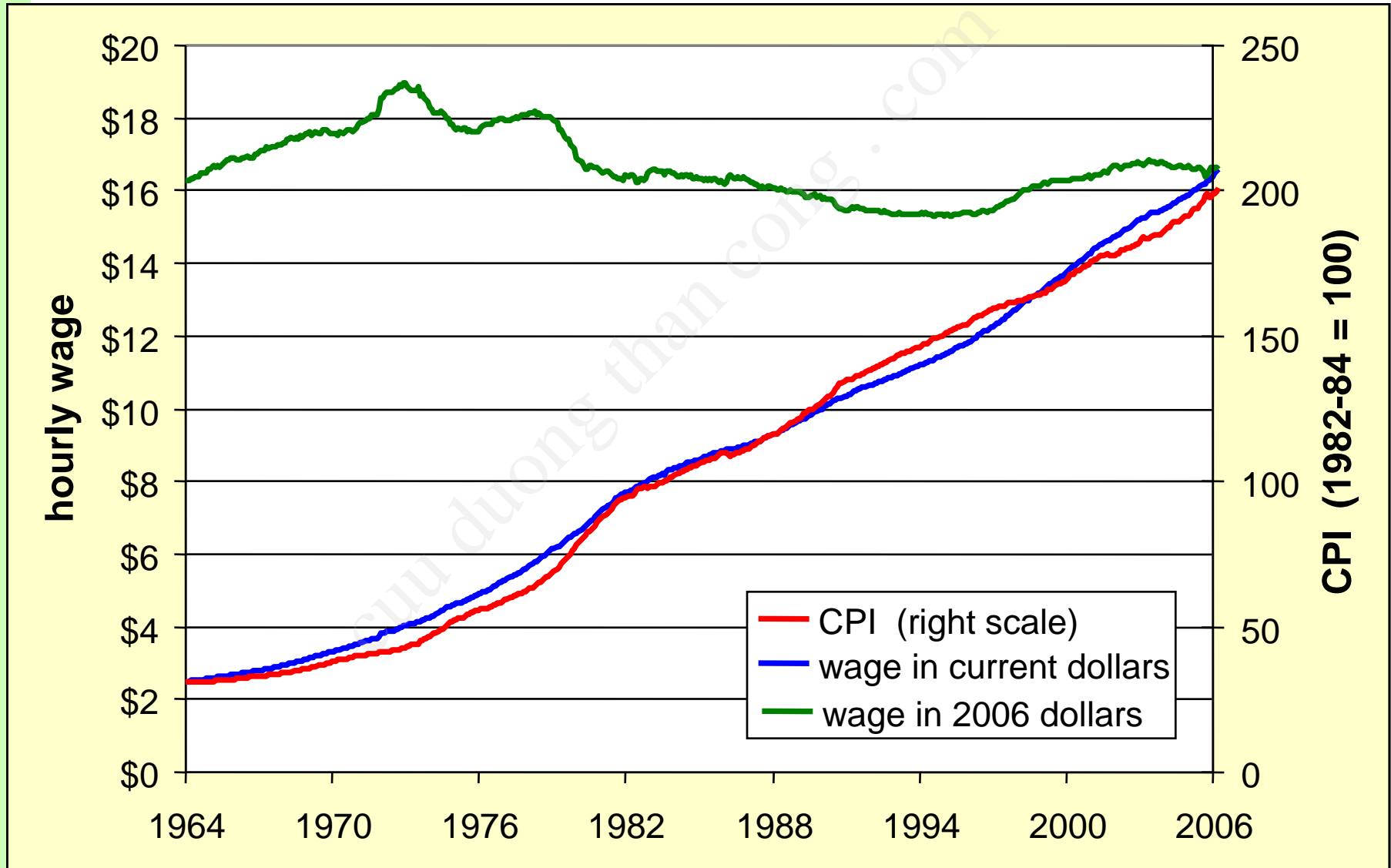


# A common misperception

- Common misperception:  
*inflation reduces real wages*
- This is true only in the short run, when nominal wages are fixed by contracts.
- (Chap. 3) In the long run, the real wage is determined by labor supply and the marginal product of labor, not the price level or inflation rate.
- Consider the data...



# Average hourly earnings and the CPI, 1964-2006





# The classical view of inflation

- *The classical view:*

A change in the price level is merely a change in the units of measurement.

*So why, then, is inflation a social problem?*



# The social costs of inflation

...fall into two categories:

1. costs when inflation is expected
2. costs when inflation is different than people had expected



# The costs of expected inflation:

## 1. Shoeleather cost

- def: the costs and inconveniences of reducing money balances to avoid the inflation tax.
- $\uparrow \pi \Rightarrow \uparrow i$   
 $\Rightarrow \downarrow$  real money balances
- Remember: In long run, inflation does not affect real income or real spending.
- So, same monthly spending but lower average money holdings means more frequent trips to the bank to withdraw smaller amounts of cash.





# The costs of expected inflation:

## 2. Menu costs

- def: The costs of changing prices.
- Examples:
  - cost of printing new menus
  - cost of printing & mailing new catalogs
- The higher is inflation, the more frequently firms must change their prices and incur these costs.



# The costs of expected inflation:

## 3. Relative price distortions

- Firms facing menu costs change prices infrequently.
- Example:  
A firm issues new catalog each January.  
As the general price level rises throughout the year, the firm's relative price will fall.
- Different firms change their prices at different times, leading to relative price distortions...  
...causing microeconomic inefficiencies in the allocation of resources.



# The costs of expected inflation:

## 4. Unfair tax treatment

Some taxes are not adjusted to account for inflation, such as the capital gains tax.

Example:

- Jan 1: you buy \$10,000 worth of IBM stock
- Dec 31: you sell the stock for \$11,000, so your nominal capital gain is \$1000 (10%).
- Suppose  $\pi = 10\%$  during the year. Your real capital gain is \$0.
- But the govt requires you to pay taxes on your \$1000 nominal gain!!



# The costs of expected inflation:

## 5. General inconvenience

- Inflation makes it harder to compare nominal values from different time periods.
- This complicates long-range financial planning.



## **Additional cost of *unexpected* inflation:** **Arbitrary redistribution of purchasing power**

- Many long-term contracts not indexed, but based on  $\pi^e$ .
- If  $\pi$  turns out different from  $\pi^e$ , then some gain at others' expense.

Example: borrowers & lenders

- If  $\pi > \pi^e$ , then  $(i - \pi) < (i - \pi^e)$  and purchasing power is transferred from lenders to borrowers.
- If  $\pi < \pi^e$ , then purchasing power is transferred from borrowers to lenders.



## **Additional cost of high inflation:** **Increased uncertainty**

- When inflation is high, it's more variable and unpredictable:  
 $\pi$  turns out different from  $\pi^e$  more often,  
and the differences tend to be larger  
(*though not systematically positive or negative*)
- Arbitrary redistributions of wealth become more likely.
- This creates higher uncertainty, making risk averse people worse off.



## One benefit of inflation

- Nominal wages are rarely reduced, even when the equilibrium real wage falls.  
This hinders labor market clearing.
- Inflation allows the real wages to reach equilibrium levels without nominal wage cuts.
- Therefore, moderate inflation improves the functioning of labor markets.



# Hyperinflation

- def:  $\pi \geq 50\%$  per month
- All the costs of moderate inflation described above become *HUGE* under hyperinflation.
- Money ceases to function as a store of value, and may not serve its other functions (unit of account, medium of exchange).
- People may conduct transactions with barter or a stable foreign currency.





# What causes hyperinflation?

- Hyperinflation is caused by excessive money supply growth:
- When the central bank prints money, the price level rises.
- If it prints money rapidly enough, the result is hyperinflation.



## A few examples of hyperinflation

	<i>money growth (%)</i>	<i>inflation (%)</i>
Israel, 1983-85	295	275
Poland, 1989-90	344	400
Brazil, 1987-94	1350	1323
Argentina, 1988-90	1264	1912
Peru, 1988-90	2974	3849
Nicaragua, 1987-91	4991	5261
Bolivia, 1984-85	4208	6515



# Why governments create hyperinflation

- When a government cannot raise taxes or sell bonds,
- it must finance spending increases by printing money.
- In theory, the solution to hyperinflation is simple: stop printing money.
- In the real world, this requires drastic and painful fiscal restraint.



# The Classical Dichotomy

**Real variables:** Measured in physical units – quantities and relative prices, *for example:*

- quantity of output produced
- real wage: output earned per hour of work
- real interest rate: output earned in the future by lending one unit of output today

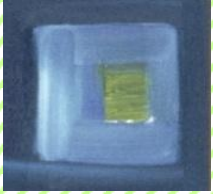
**Nominal variables:** Measured in money units, e.g.,

- nominal wage: Dollars per hour of work.
- nominal interest rate: Dollars earned in future by lending one dollar today.
- the price level: The amount of dollars needed to buy a representative basket of goods.



# The Classical Dichotomy

- Note: Real variables were explained in Chap 3, nominal ones in Chapter 4.
- ***Classical dichotomy:***  
the theoretical separation of real and nominal variables in the classical model, which implies nominal variables do not affect real variables.
- ***Neutrality of money:*** Changes in the money supply do not affect real variables.  
  
In the real world, money is approximately neutral in the long run.

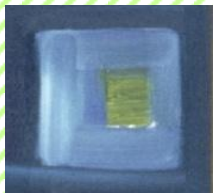


# Chapter Summary

## Money

- the stock of assets used for transactions
- serves as a medium of exchange, store of value, and unit of account.
- Commodity money has intrinsic value, fiat money does not.
- Central bank controls the money supply.

Quantity theory of money assumes velocity is stable, concludes that the money growth rate determines the inflation rate.



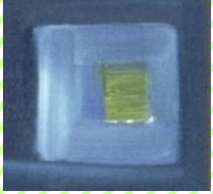
# Chapter Summary

## Nominal interest rate

- equals real interest rate + inflation rate
- the opp. cost of holding money
- Fisher effect: Nominal interest rate moves one-for-one w/ expected inflation.

## Money demand

- depends only on income in the Quantity Theory
- also depends on the nominal interest rate
- if so, then changes in expected inflation affect the current price level.

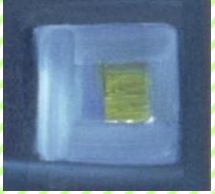


# Chapter Summary

## Costs of inflation

- *Expected inflation*  
shoeleather costs, menu costs,  
tax & relative price distortions,  
inconvenience of correcting figures for inflation
- *Unexpected inflation*  
all of the above plus arbitrary redistributions of  
wealth between debtors and creditors

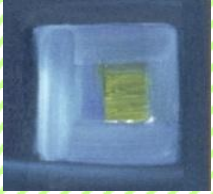




# Chapter Summary

## Hyperinflation

- caused by rapid money supply growth when money printed to finance govt budget deficits
- stopping it requires fiscal reforms to eliminate govt's need for printing money



# Chapter Summary

## Classical dichotomy

- In classical theory, money is neutral--does not affect real variables.
- So, we can study how real variables are determined w/o reference to nominal ones.
- Then, money market eq'm determines price level and all nominal variables.
- Most economists believe the economy works this way in the long run.